$$(\alpha) \frac{e \frac{\alpha}{\circ}}{\alpha \geq 4} \int_{i=\star}^{\varpi \subset \Phi} \sum_{\frac{8}{\pi}}^{\gamma^{e}} \frac{\gamma}{\bullet} [\infty] \frac{\otimes \dagger > \diamond}{\star \ast \leq \triangleleft} < 7 \quad \frac{1+4}{\overline{\Pi 1 \subset 6}} \quad 2 \amalg \supset 1 \frac{\bigcirc \circ \gg 6}{\infty (\varpi)} \int \quad \gamma < \oplus + \frac{\infty \Gamma + \oslash}{\phi} \quad \frac{\pi \mu \supset 2}{\triangleleft \Phi \supseteq 8} \quad \frac{\alpha}{\Gamma} \quad \frac{\pi \geq \amalg \oint_{i=\Phi \subset \Phi}^{\Phi \subset \Phi} \ddagger 1_{2}}{\ddagger \triangle \gg \star \frac{\alpha \int_{i=\diamond 9 \cong \alpha}^{\amalg \approx \amalg} \triangleright 1_{2}}{\diamond \sqrt{\oslash} \int_{i=\Phi - \star} 88 > \otimes}}$$

$$\frac{\int_{i=\star}^{\Phi \subset \Phi} \frac{\ddagger \otimes}{\triangleright \frac{\gamma}{\ddagger}}}{\sum_{\ddagger}^{\ddagger}} \quad 8 + 8 \frac{9 \triangleright \star}{\dagger [1]} \quad \frac{\sqrt{\Gamma}}{\odot \approx 6} \quad \frac{\gamma \circ \subset \gamma}{\epsilon \gamma = 7} \quad \frac{9 \ll 0}{\frac{e}{\triangle \triangleright_{x}}}$$

$$\int \quad \frac{\int_{i=\circ}^{32+\gamma} \phi}{\int_{i=\amalg \star - \beta}^{\pi e \gg \beta} \phi^{<\infty}} \quad \frac{\overline{\triangleright \frac{\varpi}{\varpi}}}{\int_{i=\triangleleft \dagger < 4}^{\oplus \otimes \subset 6} \ddagger \ominus \ll \phi} \quad 5 \ll \nabla \oint_{i=2 \leq \triangle}^{\oplus \otimes \subset 6} 5 [7] \quad \frac{\triangleright \frac{\varpi}{\varpi}}{\oint_{i=\ominus \Gamma >}^{\triangleright \triangleright + \ominus} \sqrt{6}}$$

$$\frac{\frac{\pi}{\triangleq} \frac{6}{\triangleq}}{7 \Phi < \circ} \quad \frac{\pi \Gamma + \amalg}{\odot \bigcirc \approx \triangle} \quad \sum_{i=\triangleright \supset \bullet}^{\otimes \oplus \cong \amalg} \quad \nabla \frac{e}{\frac{\triangle \triangleright_{x}}{\int_{i=\nabla \cong \mu}^{\triangleleft \pi \leq 6} y}}$$

$$\frac{\int_{i=\ddagger}^{x \phi \leq \varpi} \dagger}{\frac{\dagger}{1}} \quad \Pi \supset \Phi \quad \frac{\Pi \supset \amalg \frac{\odot \ddagger_{\gamma}}{\otimes \supset \ast}}{\Gamma 3 \gg \nabla} \quad 0 [\triangleright] \quad \frac{\gamma^{\frac{3 < \ddagger}{\oslash}}}{\diamond \overline{\varpi}} \quad \frac{\Phi \amalg - \dagger}{y \star + 6} \quad \frac{\frac{A^{\phi}}{\ddagger \leq \pi \oint_{i=\varpi \supset \varpi}^{\odot \star > \bigcirc}}}{\triangleright \otimes \geq \ddagger \frac{\Gamma \ll 9}{\amalg [e]}} \quad \frac{\nabla}{\bigcirc \frac{\odot}{\odot}}$$

$$\oint_{i=\gamma > \dagger}^{\oplus \ominus \cong \star} (x) \quad \oint_{i=\ast 6 \supset \odot}^{\amalg \frac{\dagger}{\Phi}} \oint_{i=\Gamma \Delta \cong e}^{0 \circ^{\circ}} \frac{2 \otimes + 8}{x x \subset \beta} \quad \frac{\triangle 3 \geq \bullet}{1 \bullet < \beta} \quad \int_{i=}^{\ominus > \amalg + \circ \subset \diamond} \sum_{\diamond \overline{\varpi}}^{\frac{3 < \ddagger}{\oslash}} \quad \Phi \amalg - \dagger \quad \frac{A^{\phi}}{y \star + 6} \quad \frac{\ddagger \leq \pi \oint_{i=\varpi \supset \varpi}^{\odot \star > \bigcirc}}{\triangleright \otimes \geq \ddagger \frac{\Gamma \ll 9}{\amalg [e]}} \quad \frac{\nabla}{\bigcirc \frac{\odot}{\odot}}$$

$$\frac{\triangle \frac{\otimes}{\ddagger}}{\triangleright \frac{\gamma}{\ddagger}} \quad 8 + 8 \frac{9 \triangleright \star}{\dagger [1]} \quad \frac{\sqrt{\Gamma}}{\odot \approx 6} \quad \frac{\gamma \circ \subset \gamma}{\epsilon \gamma = 7} \quad \frac{9 \ll 0}{\frac{e}{\triangle \triangleright_{x}}}$$

$$\int \quad \frac{\int_{i=\circ}^{32+\gamma} \phi}{\int_{i=\amalg \star - \beta}^{\pi e \gg \beta} \phi^{<\infty}} \quad \frac{\overline{\triangleright \frac{\varpi}{\varpi}}}{\int_{i=\triangleleft \dagger < 4}^{\oplus \otimes \subset 6} \ddagger \ominus \ll \phi} \quad 5 \ll \nabla \oint_{i=2 \leq \triangle}^{\oplus \otimes \subset 6} 5 [7] \quad \frac{\triangleright \frac{\varpi}{\varpi}}{\oint_{i=\ominus \Gamma >}^{\triangleright \triangleright + \ominus} \sqrt{6}}$$

$$\frac{\frac{\pi}{\triangleq} \frac{6}{\triangleq}}{7 \Phi < \circ} \quad \frac{\pi \Gamma + \amalg}{\odot \bigcirc \approx \triangle} \quad \sum_{i=\triangleright \supset \bullet}^{\otimes \oplus \cong \amalg} \quad \nabla \frac{e}{\frac{\triangle \triangleright_{x}}{\int_{i=\nabla \cong \mu}^{\triangleleft \pi \leq 6} y}}$$

$$\frac{\int_{i=\ddagger}^{x \phi \leq \varpi} \dagger}{\frac{\dagger}{1}} \quad \Pi \supset \Phi \quad \frac{\Pi \supset \amalg \frac{\odot \ddagger_{\gamma}}{\otimes \supset \ast}}{\Gamma 3 \gg \nabla} \quad 0 [\triangleright] \quad \frac{\gamma^{\frac{3 < \ddagger}{\oslash}}}{\diamond \overline{\varpi}} \quad \frac{\Phi \amalg - \dagger}{y \star + 6} \quad \frac{\frac{A^{\phi}}{\ddagger \leq \pi \oint_{i=\varpi \supset \varpi}^{\odot \star > \bigcirc}}}{\triangleright \otimes \geq \ddagger \frac{\Gamma \ll 9}{\amalg [e]}} \quad \frac{\nabla}{\bigcirc \frac{\odot}{\odot}}$$

$$\oint_{i=\gamma > \dagger}^{\oplus \ominus \cong \star} (x) \quad \oint_{i=\ast 6 \supset \odot}^{\amalg \frac{\dagger}{\Phi}} \oint_{i=\Gamma \Delta \cong e}^{0 \circ^{\circ}} \frac{2 \otimes + 8}{x x \subset \beta} \quad \frac{\triangle 3 \geq \bullet}{1 \bullet < \beta} \quad \int_{i=}^{\ominus > \amalg + \circ \subset \diamond} \sum_{\diamond \overline{\varpi}}^{\frac{3 < \ddagger}{\oslash}} \quad \Phi \amalg - \dagger \quad \frac{A^{\phi}}{y \star + 6} \quad \frac{\ddagger \leq \pi \oint_{i=\varpi \supset \varpi}^{\odot \star > \bigcirc}}{\triangleright \otimes \geq \ddagger \frac{\Gamma \ll 9}{\amalg [e]}} \quad \frac{\nabla}{\bigcirc \frac{\odot}{\odot}}$$