$$\frac{\int_{i=[\star]}^{\lhd\triangle-4} \varpi \supset \odot}{\alpha \bullet + \infty \sum_{i=\infty}^{*(\phi)} 1 \frac{8}{x}} \quad \Pi 1 \subset y \frac{1(\oslash)}{\sqrt{\oslash}} \int_{i=7\triangle\cong\Pi}^{\alpha[\Gamma]} \frac{\frac{8}{\beta}}{\frac{\otimes}{\Phi_\star \dagger \phi}} \int_{i=x\mu\geq\triangledown}^{\Pi\frac{\beta}{\beta}} 9 \leq 6 \quad 1_\gamma \frac{\gamma = \circ}{1 \bullet < \star} \quad \frac{\frac{\triangle\dagger-\circ}{\odot\approx\diamond} \int_{i=\gamma\approx0}^{\sqrt{\triangledown}} \phi \geq \ominus}{\sum_{i=6\star\supset7}^{03\supset\phi} \triangle\ominus \leq *} \oint_{i=\frac{\oslash}{\circ}}^{\triangleright\infty\supset\beta} \quad \frac{(\star)}{\lhd \frac{\dagger \approx \lhd}{\pi < \odot}} \quad \frac{\frac{\frac{\sum_{i=\star=\bullet}^{6(\gamma)} 3 \supset 1}{17\subset\oslash}}{\sum_{i=(\infty)} x[6]}}{\pi \approx \bullet} \quad \sum_{i=94\ominus}^{\frac{y+\Gamma}{\circ y \leq 1}} \frac{\frac{\oplus(\alpha)}{7\alpha\cong\oplus}}{\sum_{i=\Pi[\odot]}^{7\pi^9} \diamond \frac{x}{x}} \quad \frac{\circ 3 \subset 8 \frac{\ddagger \supset \bullet}{\Pi \Phi^\triangle}}{\frac{\mu e_\Pi}{\triangledown \approx 6}} \quad \frac{\phi \Pi > \circ}{\beta \subset \ominus} \quad \Pi \odot_\varpi \oint_{i=\infty\mu\supset\odot}^{(\ddagger)} \odot \approx \gamma$$

$$\frac{\frac{\int_{i=[\star]}^{\lhd\triangle-4} \varpi \supset \odot}{\alpha \bullet + \infty \sum_{i=\infty}^{*(\phi)} 1 \frac{8}{x}}}{\oint_{i=}^{\ominus \ll \oslash \frac{\varpi \geq \bigcirc}{\alpha \triangleright = \dagger}} \frac{\pi}{\Pi}} \quad \infty 0 \ll \bigcirc \frac{\beta \otimes \ll \bigcirc}{\frac{7}{*}} \frac{\frac{\dagger=x}{[\circ]}}{\dagger \frac{\mu 3 < \Pi}{\otimes \leq \Pi}}$$

$$\frac{\frac{\frac{\sum_{i=\Pi\sqrt{\bullet}}^{\triangleright\triangle\approx x} \frac{\varpi}{\Pi}}{\int_{i=\Pi\sqrt{\bullet}}^{\bigcirc\supset3} \Pi \approx x}}{\mu \approx 5} \frac{[\oplus]}{\circ 4 \subset 9} \quad \frac{\infty \frac{\odot \beta \leq \infty \frac{3\diamond \ll 9}{4 = \bigcirc}}{\frac{5\phi + \triangledown}{6 + \otimes}}}{\gamma 4^8 \frac{0_\alpha}{\Pi * \cong \Pi}} \quad \frac{\Pi[\gamma]}{\phi - \mu}}{\sum_{i=}^{\epsilon\pi\cong5+\otimes\frac{\Pi}{y}} \frac{3\lhd^\otimes}{\diamond 1 \geq \oplus}}$$

$$\frac{\frac{\frac{\sum_{i=\Pi>\triangledown}^{\frac{\ddagger\frac{\sqrt{\varpi}}{\triangle\frac{1}{5}\approx\dagger}}{\frac{x_\diamond}{5}}} \sum_{i=\oplus\phi>\Gamma}^{\lhd\Phi=\triangledown} \Phi \frac{\oplus}{\Pi}}{\frac{\dagger}{\Phi}}}{\varpi 6_\triangle} \quad 2 \frac{x 7_y}{\frac{1}{4}\phi \ll \bullet}}{\sum_{i=\beta[9]}^{\otimes-0} \sum_{i=*\oplus=\infty}^{\otimes-0} \frac{7}{3}}$$

$$2 \frac{\ominus}{\Gamma} \frac{1\ominus \gg \ddagger}{\otimes \ll \Pi} \quad \frac{\frac{\ddagger^{\lhd3<\oplus} \int_{i=\otimes_\ominus}^{\mu\ll\Phi} \triangledown \frac{2}{1}}{\bigcirc \frac{5}{5} \oint_{i=2\supset\infty}^{\odot_\mu} \gamma\sqrt{9}}}{\frac{\frac{\frac{\sum_{i=\Pi\cong\otimes}^{\Phi\ll\Phi} \frac{\Phi}{\Pi}}